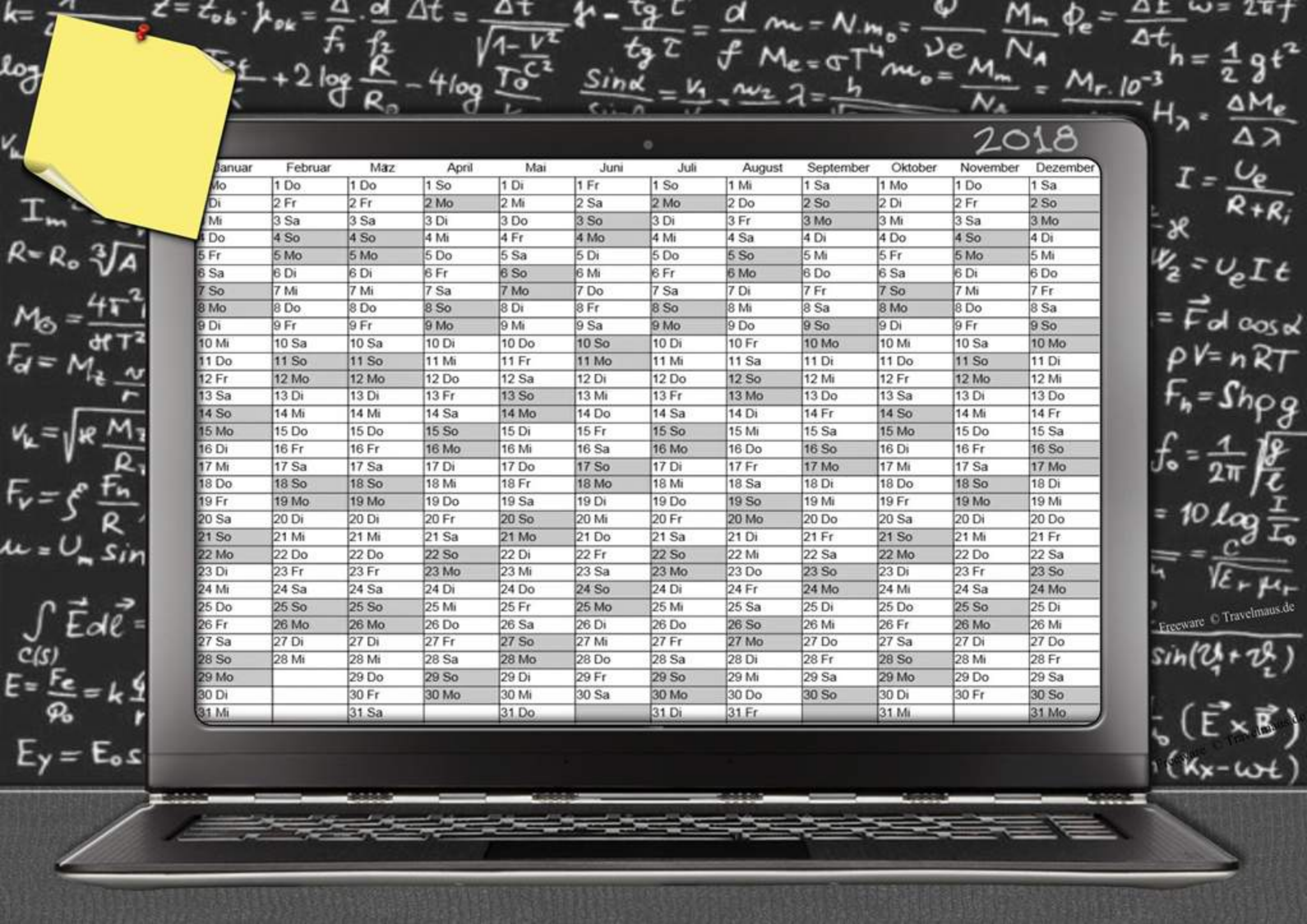




2018

Januar	Februar	März	April	Mai	Juni	Juli	August	September	Oktober	November	Dezember
1 Mo	1 Do	1 Do	1 So	1 Di	1 Fr	1 So	1 Mi	1 Sa	1 Mo	1 Do	1 Sa
2 Di	2 Fr	2 Fr	2 Mo	2 Mi	2 Sa	2 Mo	2 Do	2 So	2 Di	2 Fr	2 So
3 Mi	3 Sa	3 Sa	3 Di	3 Do	3 So	3 Di	3 Fr	3 Mo	3 Mi	3 Sa	3 Mo
4 Do	4 So	4 So	4 Mi	4 Fr	4 Mo	4 Mi	4 Sa	4 Di	4 Do	4 So	4 Di
5 Fr	5 Mo	5 Mo	5 Do	5 Sa	5 Di	5 Do	5 So	5 Mi	5 Fr	5 Mo	5 Mi
6 Sa	6 Di	6 Di	6 Fr	6 So	6 Mi	6 Fr	6 Mo	6 Do	6 Sa	6 Di	6 Do
7 So	7 Mi	7 Mi	7 Sa	7 Mo	7 Do	7 Sa	7 Di	7 Fr	7 So	7 Mi	7 Fr
8 Mo	8 Do	8 Do	8 So	8 Di	8 Fr	8 So	8 Mi	8 Sa	8 Mo	8 Do	8 Sa
9 Di	9 Fr	9 Fr	9 Mo	9 Mi	9 Sa	9 Mo	9 Do	9 So	9 Di	9 Fr	9 So
10 Mi	10 Sa	10 Sa	10 Di	10 Do	10 So	10 Di	10 Fr	10 Mo	10 Mi	10 Sa	10 Mo
11 Do	11 So	11 So	11 Mi	11 Fr	11 Mo	11 Mi	11 Sa	11 Di	11 Do	11 So	11 Di
12 Fr	12 Mo	12 Mo	12 Do	12 Sa	12 Di	12 Do	12 So	12 Mi	12 Fr	12 Mo	12 Mi
13 Sa	13 Di	13 Di	13 Fr	13 So	13 Mi	13 Fr	13 Mo	13 Do	13 Sa	13 Di	13 Do
14 So	14 Mi	14 Mi	14 Sa	14 Mo	14 Do	14 Sa	14 Di	14 Fr	14 So	14 Mi	14 Fr
15 Mo	15 Do	15 Do	15 So	15 Di	15 Fr	15 So	15 Mi	15 Sa	15 Mo	15 Do	15 Sa
16 Di	16 Fr	16 Fr	16 Mo	16 Mi	16 Sa	16 Mo	16 Do	16 So	16 Di	16 Fr	16 So
17 Mi	17 Sa	17 Sa	17 Di	17 Do	17 So	17 Di	17 Fr	17 Mo	17 Mi	17 Sa	17 Mo
18 Do	18 So	18 So	18 Mi	18 Fr	18 Mo	18 Mi	18 Sa	18 Di	18 Do	18 So	18 Di
19 Fr	19 Mo	19 Mo	19 Do	19 Sa	19 Di	19 Do	19 So	19 Mi	19 Fr	19 Mo	19 Mi
20 Sa	20 Di	20 Di	20 Fr	20 So	20 Mi	20 Fr	20 Mo	20 Do	20 Sa	20 Di	20 Do
21 So	21 Mi	21 Mi	21 Sa	21 Mo	21 Do	21 Sa	21 Di	21 Fr	21 So	21 Mi	21 Fr
22 Mo	22 Do	22 Do	22 So	22 Di	22 Fr	22 So	22 Mi	22 Sa	22 Mo	22 Do	22 Sa
23 Di	23 Fr	23 Fr	23 Mo	23 Mi	23 Sa	23 Mo	23 Do	23 So	23 Di	23 Fr	23 So
24 Mi	24 Sa	24 Sa	24 Di	24 Do	24 So	24 Di	24 Fr	24 Mo	24 Mi	24 Sa	24 Mo
25 Do	25 So	25 So	25 Mi	25 Fr	25 Mo	25 Mi	25 Sa	25 Di	25 Do	25 So	25 Di
26 Fr	26 Mo	26 Mo	26 Do	26 Sa	26 Di	26 Do	26 So	26 Mi	26 Fr	26 Mo	26 Mi
27 Sa	27 Di	27 Di	27 Fr	27 So	27 Mi	27 Fr	27 Mo	27 Do	27 Sa	27 Di	27 Do
28 So	28 Mi	28 Mi	28 Sa	28 Mo	28 Do	28 Sa	28 Di	28 Fr	28 So	28 Mi	28 Fr
29 Mo		29 Do	29 So	29 Di	29 Fr	29 So	29 Mi	29 Sa	29 Mo	29 Do	29 Sa
30 Di		30 Fr	30 Mo	30 Mi	30 Sa	30 Mo	30 Do	30 So	30 Di	30 Fr	30 So
31 Mi		31 Sa		31 Do		31 Di	31 Fr		31 Mi		31 Mo



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$$k = \frac{1}{4\pi \epsilon_0 \epsilon_r} \quad z = z_{ob} \cdot \mu_{ok} = \frac{d}{f_1} \cdot \frac{d}{f_2} \Delta t = \frac{\Delta t}{\sqrt{1 - \frac{v^2}{c^2}}} \quad \mu - \frac{tg L}{f} = \frac{d}{m} = N \cdot m_0 = \frac{M_m \phi_e}{N_A} = \frac{\Delta E}{\Delta t} \quad h = \frac{1}{2} g t^2$$

$$\log \frac{L}{L_0} = 4 \log \frac{T_{ef}}{K} + 2 \log \frac{R}{R_0} - 4 \log \frac{T_0}{K} \quad \frac{\sin \alpha}{v_1} = \frac{\sin \beta}{v_2} \quad \lambda = \frac{h}{m \cdot v} \quad \nu_e = \frac{M_m}{N_A} = \frac{M_r \cdot 10^{-3}}{N_A} \quad H_\lambda = \frac{\Delta M_e}{\Delta \lambda} \quad I = \frac{U_e}{R + R_i}$$

$$v_k = \sqrt{\frac{3kT}{m_0}} = \quad R = R_0 \sqrt[3]{A} \quad M_0 = \frac{4\pi^2}{h^2 T^2} \quad F_d = M_{12} \frac{r_1}{r_2} \quad v_k = \sqrt{\frac{M_1}{R_1}} \quad F_v = \int \frac{F_n}{R} \quad u = U_m \sin$$

$$\int \vec{E} d\vec{l} = \frac{c(s)}{c} \quad E = \frac{F_e}{\rho_0} = k \frac{q}{r} \quad E_y = E_0 \sin$$

2018

Januar 2018						
Montag	Dienstag	Mittwoch	Donnerstag	Freitag	Sonnabend	Sonntag
1	2	3	4	5	6	7
8	9	10	11	12	13	14
15	16	17	18	19	20	21
22	23	24	25	26	27	28
29	30	31				



$$v_2 = U_e I t = \vec{F} d \cos \alpha \quad pV = nRT \quad F_n = Sh \rho g \quad f_0 = \frac{1}{2\pi} \sqrt{\frac{g}{l}} = 10 \log \frac{I}{I_0} = \frac{c}{\sqrt{\epsilon_r \mu_r}} \quad (\vec{v}_1 + \vec{v}_2) \quad (\vec{E} \times \vec{B}) \quad (kx - \omega t)$$

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$$k = \frac{1}{4\pi \epsilon_0 \epsilon_r} \quad z = z_{ob} \cdot \mu_{ok} = \frac{d}{f_1} \cdot \frac{d}{f_2} \Delta t = \frac{\Delta t}{\sqrt{1 - \frac{v^2}{c^2}}} \quad \mu = \frac{tg L}{f} \quad m = N \cdot m_0 = \frac{M_m \phi_e}{N_A} \quad \frac{M_m \phi_e}{N_A} = \frac{\Delta E}{\Delta t} \quad h = \frac{1}{2} g t^2$$

$$\log \frac{L}{L_0} = 4 \log \frac{T_{ef}}{K} + 2 \log \frac{R}{R_0} - 4 \log \frac{T_0}{K} \quad \frac{\sin \alpha}{\sin \beta} = \frac{v_1}{v_2} \quad \lambda = \frac{h}{m \cdot v} \quad \mu_e = \frac{M_m}{N_A} = \frac{M_r \cdot 10^{-3}}{N_A} \quad H_{\lambda} = \frac{\Delta M_e}{\Delta \lambda} \quad I = \frac{U_e}{R + R_i}$$

$$v_k = \sqrt{\frac{3kT}{m_0}}$$

$$I_m^2 = U_v$$

$$R = R_0 \sqrt[3]{A}$$

$$M_0 = \frac{4\pi^2}{dT^2}$$

$$F_d = M_{12} \frac{v}{r}$$

$$v_k = \sqrt{\frac{M_1}{R_1}}$$

$$F_v = \int \frac{F_n}{R}$$

$$u = U_m \sin$$

$$\int \vec{E} d\vec{l} =$$

$$E = \frac{F_e}{\rho_0} = k \frac{q}{r}$$

$$E_y = E_0 \sin$$

2018

Februar 2018						
Montag	Dienstag	Mittwoch	Donnerstag	Freitag	Sonnabend	Sonntag
			1	2	3	4
5	6	7	8	9	10	11
12	13	14	15	16	17	18
19	20	21	22	23	24	25
26	27	28				



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$$W_2 = U_e I t$$

$$= \int \vec{F} d \cos \alpha$$

$$pV = nRT$$

$$F_n = S \rho g$$

$$\int \frac{I}{I_0}$$

$$\left(\frac{\theta}{2}\right)$$

$$(\vec{B})$$

$$(kx - \omega t)$$

$k = \frac{1}{4\pi \epsilon_0 \epsilon_r}$
 $\log \frac{L}{L_0} = 4 \log \frac{T_{ef}}{K} + 2 \log \frac{R}{R_0} - 4 \log \frac{T_0 c^2}{K}$
 $v_k = \sqrt{\frac{3kT}{m_0}}$
 $I_m^2 = U_v$
 $R = R_0 \sqrt[3]{A}$
 $M_0 = \frac{4\pi^2}{dT^2}$
 $F_d = M_{12} \frac{v}{r}$
 $v_k = \sqrt{\frac{M_3}{R_1}}$
 $F_v = \int \frac{F_n}{R}$
 $u = U_m \sin$
 $\int \vec{E} d\vec{l} = \frac{c(s)}{\rho_0}$
 $E = \frac{F_e}{\rho_0} = k \frac{q}{r}$
 $E_y = E_0 \sin$



2018

April 2018						
Montag	Dienstag	Mittwoch	Donnerstag	Freitag	Sonnabend	Sonntag
						1
2	3	4	5	6	7	8
9	10	11	12	13	14	15
16	17	18	19	20	21	22
23	24	25	26	27	28	29
30						



$h = \frac{1}{2} g t^2$
 $H_\lambda = \frac{\Delta M_e}{\Delta \lambda}$
 $I = \frac{U_e}{\rho + R_i}$
 $2\pi \sqrt{\epsilon}$
 $= 10 \log \frac{I}{I_0}$
 $= \frac{c}{\sqrt{\epsilon_r \mu_r}}$
 $\sin(\varphi_1 + \varphi_2)$
 $(\vec{E} \times \vec{B})$
 $(kx - \omega t)$

$k = \frac{1}{4\pi \epsilon_0 \epsilon_r} z = z_{ob} \cdot \mu_{ok} = \frac{d}{f_1} \frac{d}{f_2} \Delta t = \frac{\Delta t}{\sqrt{1 - \frac{v^2}{c^2}}}$
 $\mu - \frac{tg L}{f Me = \sigma T^4} = \frac{d}{m} = N \cdot m_0 = \frac{M_m \phi_e}{N_A}$
 $\frac{M_m}{N_A} \phi_e = \frac{\Delta t}{\Delta t} h = \frac{1}{2} g t^2$
 $H_\lambda = \frac{\Delta Me}{\Delta \lambda}$
 $I = \frac{U_e}{R + R_i}$
 $v_2 = U_e I t = \int F d \cos \alpha$
 $pV = nRT$
 $F_n = S \rho g$
 $f_0 = \frac{1}{2\pi} \sqrt{\frac{g}{l}}$
 $= 10 \log \frac{I}{I_0}$
 $= \frac{c}{\sqrt{\epsilon_r \mu_r}}$
 $\sin(\varphi_1 + \varphi_2)$
 $(\vec{E} \times \vec{B})$
 $(kx - \omega t)$



2018

Mai 2018						
Montag	Dienstag	Mittwoch	Donnerstag	Freitag	Sonnabend	Sonntag
	1	2	3	4	5	6
7	8	9	10	11	12	13
14	15	16	17	18	19	20
21	22	23	24	25	26	27
28	29	30	31			

I_m
 $R = R_1 + R_2$
 $M_0 = \frac{4\pi^2}{g T^2}$
 $F_d = M_{12} \frac{v}{r}$
 $v_k = \sqrt{\frac{M_1}{R_1}}$
 $F_v = \int \frac{F_n}{R}$
 $u = U_m \sin$
 $\int \vec{E} dl = c(s)$
 $E = \frac{F_e}{\rho_0}$
 $E_y = E_0 \sin$

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 $\sin(\varphi_1 + \varphi_2)$
 $(\vec{E} \times \vec{B})$
 $(kx - \omega t)$

$k = \frac{1}{4\pi \epsilon_0 \epsilon_r} z = z_{ob} \cdot \mu_{ok} = \frac{d}{f_1} \cdot \frac{d}{f_2} \Delta t = \frac{\Delta t}{\sqrt{1 - \frac{v^2}{c^2}}}$
 $\log \frac{L}{L_0} = 4 \log T_{ef} + 2 \log \frac{R}{R_0} - 4 \log \frac{T_0}{T}$
 $\frac{1}{\sin \alpha} = \frac{v_1}{v} = \frac{w_2}{\lambda} \lambda = \frac{h}{m \cdot v}$
 $f = \frac{d}{m} = N \cdot m_0 = \frac{M_m \cdot \phi_e}{N_A}$
 $f \cdot M_e = \sigma T^4$
 $v_e = \frac{M_m}{N_A} = \frac{M_r \cdot 10^{-3}}{N_A}$
 $\frac{\Delta t}{\Delta t} h = \frac{1}{2} g t^2$
 $H_\lambda = \frac{\Delta M_e}{\Delta \lambda}$
 $I = \frac{U_e}{R + R_i}$
 $W_2 = U_e I t = \int \vec{F} \cdot d\vec{s} \cos \alpha$
 $pV = nRT$
 $F_n = S \rho g$
 $f_0 = \frac{1}{2\pi} \sqrt{\frac{g}{l}}$
 $= 10 \log \frac{I}{I_0}$
 $= \frac{c}{\sqrt{\epsilon_r \mu_r}}$
 $\sin(\varphi_1 + \varphi_2)$
 $(\vec{E} \times \vec{B})$
 $(k_x - \omega t)$



2018

Juni 2018						
Freitag	Dienstag	Mittwoch	Donnerstag	Freitag	Sonnabend	Sonntag
				1	2	3
4	5	6	7	8	9	10
11	12	13	14	15	16	17
18	19	20	21	22	23	24
25	26	27	28	29	30	

$v_k = \sqrt{\frac{M_2}{R_1}}$
 $F_v = \int \frac{F_n}{R}$
 $u = U_n \sin$
 $\int \vec{E} \cdot d\vec{l} = \frac{1}{c(s)}$
 $E = \frac{F_e}{\rho_0}$
 $E_y = E_0 \sin$

$I = \frac{U_e}{R + R_i}$
 $W_2 = U_e I t = \int \vec{F} \cdot d\vec{s} \cos \alpha$
 $pV = nRT$
 $F_n = S \rho g$
 $f_0 = \frac{1}{2\pi} \sqrt{\frac{g}{l}}$
 $= 10 \log \frac{I}{I_0}$
 $= \frac{c}{\sqrt{\epsilon_r \mu_r}}$
 $\sin(\varphi_1 + \varphi_2)$
 $(\vec{E} \times \vec{B})$
 $(k_x - \omega t)$

$$k = \frac{1}{4\pi \epsilon_0 \epsilon_r} \quad z = z_{\text{ob}} \cdot \mu_{\text{ok}} = \frac{f_1}{f_2} \cdot \frac{d}{\Delta t} \quad \Delta t = \frac{\Delta t}{\sqrt{1 - \frac{v^2}{c^2}}} \quad \mu = \frac{\text{tg } L}{\text{tg } Z} = \frac{d}{f} \quad m = N \cdot m_0 = \frac{M_m \cdot \phi_e}{N_A} = \frac{\Delta E}{\Delta t} \quad h = \frac{1}{2} g t^2$$

$$\log \frac{L}{L_0} = 4 \log \frac{T_{\text{ef}}}{K} + 2 \log \frac{R}{R_0} - 4 \log \frac{T_0}{K} \quad \frac{\sin \alpha}{\sin \beta} = \frac{v_1}{v_2} \quad \lambda = \frac{h}{m \cdot v} \quad \nu_e = \frac{M_m}{N_A} = \frac{M_r \cdot 10^{-3}}{N_A} \quad H_{\lambda} = \frac{\Delta M_e}{\Delta \lambda} \quad I = \frac{U_e}{R + R_i}$$

$$v_k = \sqrt{\frac{3kT}{m_0}} = \dots \quad R = R_0 \sqrt[3]{A} \quad M_0 = \frac{4\pi^2}{h^2 T^2} \quad F_d = M_{12} \frac{v}{r} \quad v_k = \sqrt{\frac{M_3}{R_1}} \quad F_v = \int \frac{F_n}{R} \quad u = U_m \sin$$

2018

Juli 2018						
Montag	Dienstag	Mittwoch	Donnerstag	Freitag	Sonnabend	Sonntag
						1
2	3	4	5	6	7	8
9	10	11	12	13	14	15
16	17	18	19	20	21	22
23	24	25	26	27	28	29
30	31					



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$$\int \vec{E} d\vec{l} = \dots$$

$$E = \frac{F_e}{\rho_0} = k \frac{q}{r^2}$$

$$E_y = E_0 \sin$$

$$v_2 = U_e I t = \vec{F} d \cos \alpha$$

$$pV = nRT \quad F_n = S \rho g$$

$$f_0 = \frac{1}{2\pi} \sqrt{\frac{g}{l}} = 10 \log \frac{I}{I_0} = \frac{c}{\sqrt{\epsilon_r \mu_r}} \quad \sin(\alpha_1 + \alpha_2) \quad (\vec{E} \times \vec{B}) \quad (kx - \omega t)$$

$$k = \frac{1}{4\pi \epsilon_0 \epsilon_r} \quad z = z_{ob} \cdot \mu_{ok} = \frac{f_1}{f_2} \cdot \frac{d}{\Delta t} = \frac{\Delta t}{\sqrt{1-v^2/c^2}} \quad \mu - \frac{tg L}{f} = \frac{d}{m} = N \cdot m_0 = \frac{M_m \phi_e}{N_A} = \frac{M_r \cdot 10^{-3}}{N_A}$$

$$\log \frac{L}{L_0} = 4 \log \frac{T_{ef}}{K} + 2 \log \frac{R}{R_0} - 4 \log \frac{T_0}{K}$$

$$v_k = \sqrt{\frac{3kT}{m_0}}$$

$$I_m^2 = U_v$$

$$R = R_0 \sqrt[3]{A}$$

$$M_0 = \frac{4\pi^2}{dT^2}$$

$$F_d = M_{12} \frac{v}{r}$$

$$v_k = \sqrt{R \frac{M_3}{R_1}}$$

$$F_v = \int \frac{F_n}{R}$$

$$u = U_m \sin$$



2018

August 2018						
Montag	Dienstag	Mittwoch	Donnerstag	Freitag	Sonnabend	Sonntag
		1	2	3	4	5
6	7	8	9	10	11	12
13	14	15	16	17	18	19
20	21	22	23	24	25	26
27	28	29	30	31		



$$T = \frac{U_e}{R + R_i}$$

$$v_2 = U_e I t$$

$$= \vec{F} d \cos \alpha$$

$$pV = nRT$$

$$F_n = S \rho g$$

$$f_0 = \frac{1}{2\pi} \sqrt{\frac{g}{l}}$$

$$= 10 \log \frac{I}{I_0}$$

$$= \frac{c}{\sqrt{\epsilon_r \mu_r}}$$

$$\sin(\varphi_1 + \varphi_2)$$

$$(\vec{E} \times \vec{B})$$

$$kx - \omega t$$

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$k = \frac{1}{4\pi \epsilon_0 \epsilon_r} z = z_{ob} \cdot \mu_{ok} = \frac{f_1}{f_2} \cdot \frac{d}{\Delta t} = \frac{\Delta t}{\sqrt{1 - \frac{v^2}{c^2}}}$
 $\log \frac{L}{L_0} = 4 \log \frac{T_{ef}}{K} + 2 \log \frac{R}{R_0} - 4 \log \frac{T_0}{K}$
 $\mu = \frac{d}{v} = \frac{d}{\frac{d}{m} \cdot \frac{1}{\lambda}} = \frac{d}{m} \cdot \lambda = \frac{h}{m \cdot v}$
 $\frac{M_m}{N_A} \phi_e = \frac{\Delta t}{\Delta \lambda} h = \frac{1}{2} g t^2$
 $f \cdot M_e = \sigma T^4$
 $\frac{M_m}{N_A} = \frac{M_r \cdot 10^{-3}}{N_A}$
 $I = \frac{U_e}{R + R_i}$
 $\vec{v}_2 = U_e I t$
 $= \vec{F} d \cos \alpha$
 $pV = nRT$
 $F_n = S \rho g$
 $f_0 = \frac{1}{2\pi} \sqrt{\frac{g}{l}}$
 $= 10 \log \frac{I}{I_0}$
 $= \frac{c}{\sqrt{\epsilon_r \mu_r}}$
 $\sin(\alpha_1 + \alpha_2)$
 $(\vec{E} \times \vec{B})$
 $(kx - \omega t)$



2018

September 2018						
Montag	Dienstag	Mittwoch	Donnerstag	Freitag	Sonnabend	Sonntag
					1	2
3	4	5	6	7	8	9
10	11	12	13	14	15	16
17	18	19	20	21	22	23
24	25	26	27	28	29	30

$v_k = \sqrt{3kT}$
 $M_e = \frac{h}{\lambda}$
 $F_d = M_2 \frac{v}{r}$
 $v_k = \sqrt{\frac{M_2}{R_1}}$
 $F_v = \int \frac{F_n}{R}$
 $u = U_m \sin$
 $\int \vec{E} d\vec{l} = \frac{1}{c(s)}$
 $E = \frac{F_e}{\rho_0} = k \frac{q}{r}$
 $E_y = E_0 \sin$

$H_\lambda = \frac{\Delta M_e}{\Delta \lambda}$
 $I = \frac{U_e}{R + R_i}$
 $\vec{v}_2 = U_e I t$
 $= \vec{F} d \cos \alpha$
 $pV = nRT$
 $F_n = S \rho g$
 $f_0 = \frac{1}{2\pi} \sqrt{\frac{g}{l}}$
 $= 10 \log \frac{I}{I_0}$
 $= \frac{c}{\sqrt{\epsilon_r \mu_r}}$
 $\sin(\alpha_1 + \alpha_2)$
 $(\vec{E} \times \vec{B})$
 $(kx - \omega t)$

$$k = \frac{1}{4\pi \epsilon_0 \epsilon_r} \quad z = z_{\text{ob}} \cdot \mu_{\text{ok}} = \frac{d}{f_1} \cdot \frac{d}{f_2} \Delta t = \frac{\Delta t}{\sqrt{1 - \frac{v^2}{c^2}}} \quad \mu - \frac{\text{tg } L}{f} = \frac{d}{m} = N \cdot m_0 = \frac{M_m}{N_A} \quad \phi_e = \frac{\Delta E}{\Delta t} \quad h = \frac{1}{2} g t^2$$

$$\log \frac{L}{L_0} = 4 \log \frac{T_{\text{ef}}}{K} + 2 \log \frac{R}{R_0} - 4 \log \frac{T_0}{K} \quad \frac{\sin \alpha}{v_1} = \frac{\sin \beta}{v_2} \quad \lambda = \frac{h}{m \cdot v} \quad \nu_e = \frac{M_m}{N_A} = \frac{M_r \cdot 10^{-3}}{N_A} \quad H_{\lambda} = \frac{\Delta M_e}{\Delta \lambda}$$

2018

Oktober 2018						
Montag	Dienstag	Mittwoch	Donnerstag	Freitag	Sonnabend	Sonntag
1	2	3	4	5	6	7
8	9	10	11	12	13	14
15	16	17	18	19	20	21
22	23	24	25	26	27	28
29	30	31				



$$v_k = \sqrt{\frac{3kT}{m}} \quad I_m = U \cdot I$$

$$R = R_0 \sqrt[3]{A} \quad M_0 = \frac{4\pi^2}{h^2 T^2}$$

$$F_d = M_{12} \frac{v}{r} \quad v_k = \sqrt{\frac{M_1}{R_1}}$$

$$F_v = \int \frac{F_n}{R} \quad u = U_m \sin$$

$$\int \vec{E} d\vec{l} = \frac{c(s)}{\rho_0} \quad E = \frac{F_e}{\rho_0} = k \frac{q}{r}$$

$$E_y = E_0 \sin$$

$$I = \frac{U_e}{R + R_i}$$

$$W_2 = U_e I t = \int \vec{F} d \cos \alpha$$

$$pV = nRT \quad F_n = S \rho g$$

$$f_0 = \frac{1}{2\pi} \sqrt{\frac{g}{l}}$$

$$= 10 \log \frac{I}{I_0}$$

$$v = \frac{c}{\sqrt{\epsilon_r \mu_r}}$$

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$$k = \frac{1}{4\pi \epsilon_0 \epsilon_r} \quad z = z_{ob} \cdot \mu_{ok} = \frac{\Delta}{f_1} \cdot \frac{d}{f_2} \Delta t = \frac{\Delta t'}{\sqrt{1-v^2/c^2}} \quad \mu = \frac{tg \tau'}{1} = \frac{d}{f} m_0 = N \cdot m_0 = \frac{Q}{N_A} \frac{M_m \phi_e}{\Delta t} \omega = 2\pi f$$

$$\log \frac{L}{L_0} = 4 \log \frac{T_{ef}}{K} + 2 \log \frac{R}{\rho} - 4 \log \frac{T_0}{C^2} \quad \frac{sin \alpha}{v_1} = \frac{v_2}{\lambda} = \frac{h}{m_0} = \frac{M_m}{N} = \frac{M_r \cdot 10^{-3}}{N} \quad h = \frac{1}{2} g t^2$$

$$H_\lambda = \frac{\Delta M_e}{\Delta \lambda} \quad I = \frac{U_e}{R + R_i}$$

$$v_k = \sqrt{\frac{3kT}{m_0}}$$

$$I_m^2 = U_v$$

$$R = R_0 \sqrt[3]{A}$$

$$M_0 = \frac{4\pi^2}{dT^2}$$

$$F_d = M_z \frac{v}{r}$$

$$v_k = \sqrt{R \frac{M_z}{R_1}}$$

$$F_v = \int \frac{F_n}{R}$$

$$u = U_m \sin$$

$$\int \vec{E} d\vec{l} = \frac{E}{c(s)}$$

$$E = \frac{F_e}{\rho_0} = k \frac{q}{r}$$

$$E_y = E_0 \sin$$

2018

November 2018						
Montag	Dienstag	Mittwoch	Donnerstag	Freitag	Sonnabend	Sonntag
			1	2	3	4
5	6	7	8	9	10	11
12	13	14	15	16	17	18
19	20	21	22	23	24	25
26	27	28	29	30		



$$f_0 = \frac{1}{2\pi} \sqrt{\frac{g}{l}}$$

$$= 10 \log \frac{I}{I_0}$$

$$= \frac{c}{\sqrt{\epsilon_r \mu_r}}$$

$$\sin(\varphi_1 + \varphi_2)$$

$$(\vec{E} \times \vec{B})$$

$$(kx - \omega t)$$

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$k = \frac{1}{4\pi \epsilon_0 \epsilon_r}$ $z = z_{ob} \cdot \mu_{ok} = \frac{f_1}{f_2} \cdot \frac{d}{\Delta t} = \frac{\Delta t}{\sqrt{1 - \frac{v^2}{c^2}}}$ $\mu - \frac{tg L}{f} = \frac{d}{m} = N \cdot m_0 = \frac{M_m \phi_e}{N_A}$ $\frac{M_m \phi_e}{N_A} = \frac{\Delta E}{\Delta t} h = \frac{1}{2} g t^2$
 $\log \frac{L}{L_0} = 2 \log \frac{R}{R_0} - 4 \log \frac{T_0}{T}$ $\frac{sin \alpha}{v_1} = \frac{sin \beta}{v_2} = \frac{h}{\lambda}$ $\frac{M_m}{N_A} = \frac{M_r \cdot 10^{-3}}{N_A}$ $H_\lambda = \frac{\Delta M_e}{\Delta \lambda}$
 $I = \frac{U_e}{R + R_i}$ $V_2 = U_e I t = \int F d \cos \alpha$ $pV = nRT$ $F_n = S \rho g$ $f_0 = \frac{1}{2\pi} \sqrt{\frac{g}{l}}$ $= 10 \log \frac{I}{I_0}$ $= \frac{c}{\sqrt{\epsilon_r \mu_r}}$ $\sin(\alpha_1 + \alpha_2)$ $(\vec{E} \times \vec{B})$ $(kx - \omega t)$



2018

Dezember 2018						
	Dienstag	Mittwoch	Donnerstag	Freitag	Sonnabend	Sonntag
					1	2
	4	5	6	7	8	9
10	11	12	13	14	15	16
17	18	19	20	21	22	23
24	25	26	27	28	29	30
31						

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$$k = \frac{1}{4\pi \epsilon_0 \epsilon_r} \quad z = z_{ob} \cdot \mu_{ok} = \frac{f_1}{f_2} \cdot \frac{d}{\Delta t} \quad \Delta t = \frac{\Delta t}{\sqrt{1 - \frac{v^2}{c^2}}} \quad \mu = \frac{tg L}{f} \quad m = N \cdot m_0 = \frac{M_m \phi_e}{N_A} \quad \frac{M_m \phi_e}{N_A} = \frac{\Delta t}{\Delta t} \quad h = \frac{1}{2} g t^2$$

$$\log \frac{L}{L_0} = 4 \log \frac{T_{ef}}{K} + 2 \log \frac{R}{R_0} - 4 \log \frac{T_0}{K}$$
$$v_k = \sqrt{\frac{3kT}{m_0}}$$
$$I_m^2 = U_v$$
$$R = R_0 \sqrt[3]{A}$$
$$M_0 = \frac{4\pi^2}{dT^2}$$
$$F_d = M_z \frac{v}{r}$$
$$v_k = \sqrt{R \frac{M_z}{R_1}}$$
$$F_v = \int \frac{F_n}{R}$$
$$u = U_m \sin$$
$$\int \vec{E} d\vec{l} = \frac{c(s)}{\rho_0}$$
$$E = \frac{F_e}{\rho_0} = k \frac{q}{r}$$
$$E_y = E_0 \sin$$



$$2018$$
$$H_\lambda = \frac{\Delta M_e}{\Delta \lambda}$$
$$I = \frac{U_e}{R + R_i}$$
$$v_2 = U_e I t$$
$$= \vec{F} d \cos \alpha$$
$$pV = nRT$$
$$F_n = Sh \rho g$$
$$f_0 = \frac{1}{2\pi} \sqrt{\frac{g}{l}}$$
$$= 10 \log \frac{I}{I_0}$$
$$= \frac{c}{\sqrt{\epsilon_r \mu_r}}$$
$$\sin(\varphi_1 + \varphi_2)$$
$$(\vec{E} \times \vec{B})$$
$$(kx - \omega t)$$